

On Lazy and Eager Interactive Reconfiguration

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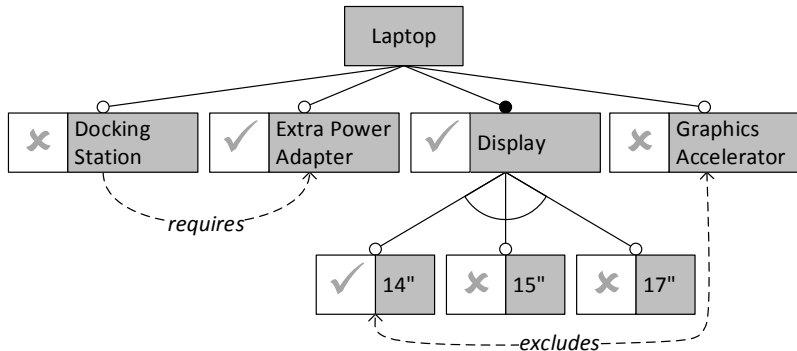
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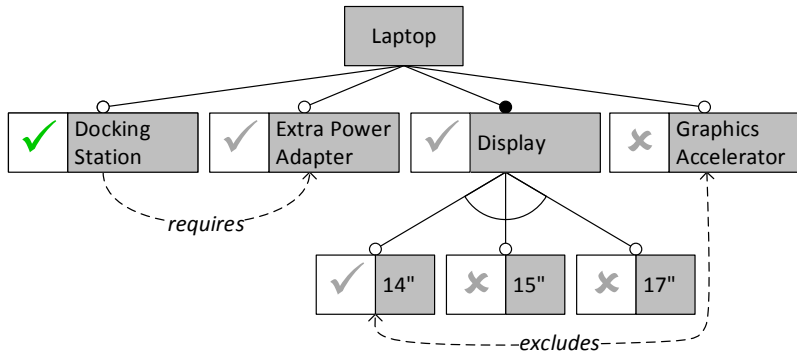
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Nice, France

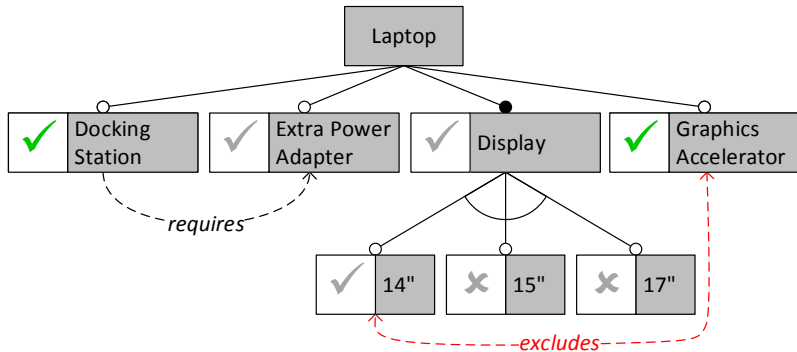
Reconfiguration Example



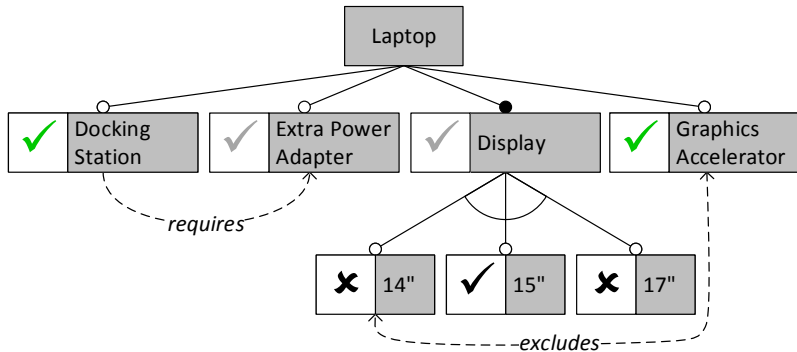
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- **LEGAL**: can be changed without further changes
- **RECONFIGURE**: can be changed but some other default decisions need to be changed.
- **ILLEGAL**: cannot be changed without violating the formula or without altering other user decisions.

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- A *Minimal Correction Subset (MCS)* of clauses is a irreducible set of clauses whose removal makes the original formula satisfiable.

Handling Reconfiguration Scenarios

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- LEGAL: Just update \mathcal{D}^a and \mathcal{D}^d
- RECONFIGURE: Change \mathcal{D}^d so that the new decision can be accommodated. Use MCSes for that.
- ILLEGAL: Provide an explanation why.

Lazy Approach

```
1 Function Change ( $l$ )
2 begin
3    $(st_1, \mu_1, core_1) \leftarrow \text{SAT}(\mathcal{F} \cup \mathcal{D}^a \cup \mathcal{D}^d \setminus \{l\} \cup \{\neg l\})$ 
4    $(st_2, \mu_1, core_2) \leftarrow \text{SAT}(\mathcal{F} \cup \mathcal{D}^a \setminus \{l\} \cup \{\neg l\})$ 
5   if  $st_1$  then
6      $\mathcal{D}^a \leftarrow \mathcal{D}^a \setminus \{l\} \cup \{\neg l\}$ 
7      $\mathcal{D}^d \leftarrow \mathcal{D}^d \setminus \{l\}$ 
8     return LEGAL
9   if  $st_2$  then
10     $\mathcal{D}^a \leftarrow \mathcal{D}^a \setminus \{l\} \cup \{\neg l\}$ 
11     $\mathcal{D}^d \leftarrow \mathcal{D}^d \setminus \{l\}$ 
12     $\mathcal{D}^d = \text{Reconfigure}(\mathcal{F} \wedge \mathcal{D}^a, \mathcal{D}^d)$ 
13    return RECONFIGURE
14  Explain $(\mathcal{F}, \mathcal{D}^a \setminus \{l\} \cup \{\neg l\})$ 
15  return ILLEGAL
```

Eager Approach—Change

If $\mathcal{F} \cup \mathcal{D}^a \cup \mathcal{D}^d \setminus \{l\} \models I$, remember a **reason** $R_l \subseteq \mathcal{D}^a \cup \mathcal{D}^d$ s.t. $\mathcal{F} \cup R_l \models I$.

```
1 Function Change ( $l$ )
2 begin
3   foreach  $k$  s.t.  $l \in R_k$  do
4     | remove  $R_k$  as reason for  $k$ 
5     | mark  $k$  as LEGAL
6   foreach  $k$  is LEGAL do
7     | Check( $k$ )
```

Eager Approach—Check Literal

```
1 Function Check ( $l$ )
2 begin
3    $(st_1, \mu_1, core_1) \leftarrow \text{SAT}(\mathcal{F} \cup \mathcal{D}^a \cup \mathcal{D}^d \setminus \{l\} \cup \{\neg l\})$ 
4    $(st_2, \mu_1, core_2) \leftarrow \text{SAT}(\mathcal{F} \cup \mathcal{D}^a \setminus \{l\} \cup \{\neg l\})$ 
5   if  $st_1$  then
6     | mark  $l$  as LEGAL
7   else if  $st_2$  then
8     | mark  $l$  as RECONFIGURE
9     |  $R_l \leftarrow core_1 \cap (\mathcal{D}^a \cup \mathcal{D}^d) \setminus \{\neg l\}$ 
10  else
11    | mark  $l$  as ILLEGAL
12    |  $R_l \leftarrow core_2 \cap \mathcal{D}^a \setminus \{\neg l\}$ 
```

Experimental Results

	SPLIT rl	SPLIT rnd	LVAT mod	LVAT hard
Algorithm	eager	eager	lazy	lazy
Maximal time	0.008 s	1.3 s	2 s	41.76 s
time < 0.5 s	100%	99.8%	99.9%	86%
time < 1.5 s	100%	100%	99.9%	91%
# RECONF	4199	79860	43821	28259
# ILLEGAL	3987	97103	167795	55903
# LEGAL	4314	73037	33384	5838
Max. RECON	0.006 s	0.5 s	2 s	41.76 s
Max. ILLEG	0.001 s	0.02 s	0.92 s	11.10 s
Max. LEGAL	0.006 s	0.32 s	0.005 s	0.01 s
Max. INITIAL	0.008 s	1.3 s	0.01 s	0.15 s
# models	25	10	10	4
# variables	60–366	10,000–10,000	684–14910	23,516–62,482

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- How to deal with “large” reconfiguration?
- How to apply reconfiguration in the vicinity only?
- What do users want from reconfiguration?

Thank you for your attention!

Questions?